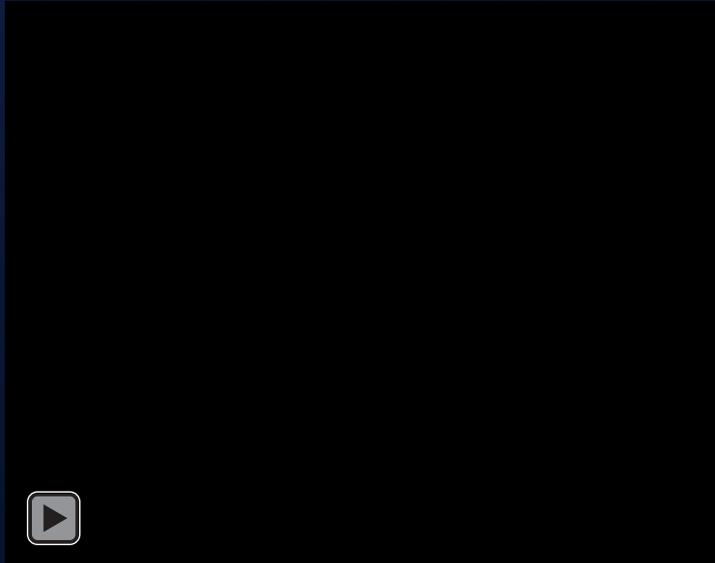


Parametrization of dry convective boundary layer using machine learning

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Columbia University



Outline:

- Introduction
- Network architecture and data
- Turbulent flux parameterization

Introduction:

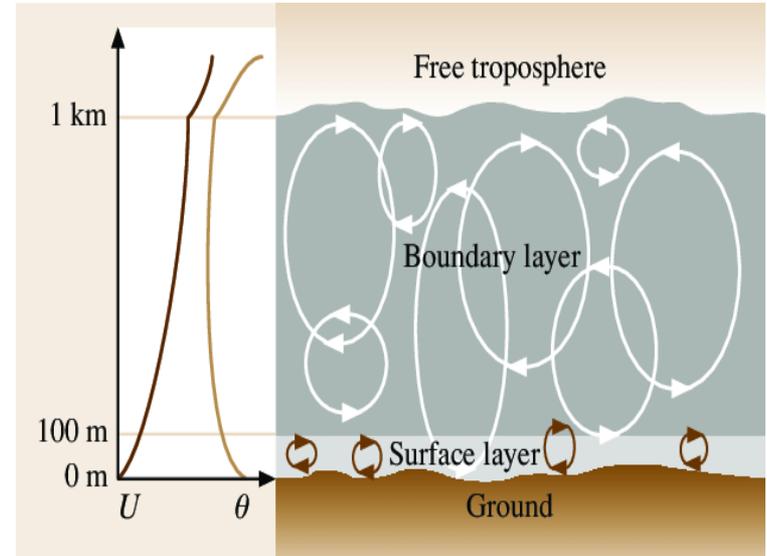
The bottom layer of the atmosphere:

- Often turbulent and capped by statically stable air
- Small scale turbulent PBL processes as well as convective updraft and down drafts are important for mixing and vertical transport of energy and moisture
- But too small to resolve for km-scale models

$$\theta = \bar{\theta} + \theta'$$

$\bar{\theta}$: mean value, resolved

θ' : Turbulent, not resolved



Introduction:

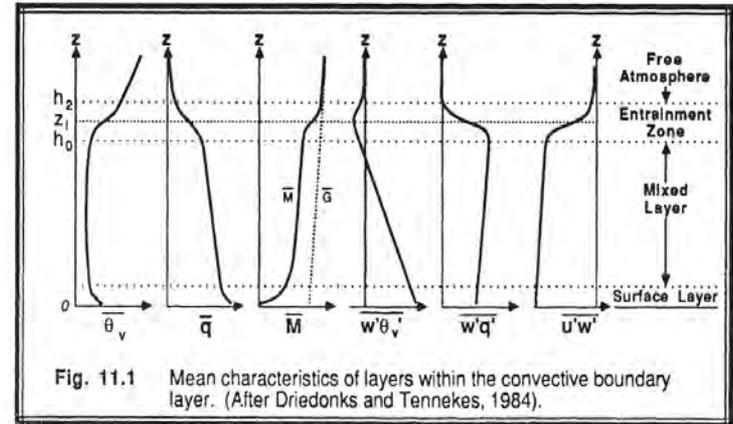
Planetary boundary layer parametrization

$$\overline{w'\theta'} = \mathcal{F}(\text{resolved variables}; \bar{w}, \bar{\theta}, \bar{e}, \dots)$$

Examples of PBL parametrization:

$$\overline{w'\theta'} \approx -K(z) \frac{\partial \bar{\theta}}{\partial z} \quad \text{Eddy diffusion}$$

$$\overline{w'\theta'} \approx -K(z) \frac{\partial \bar{\theta}}{\partial z} + \mathcal{M}(z)(\theta_u - \bar{\theta}) \quad \text{Eddy diffusion mass flux (no entrainment!)}$$

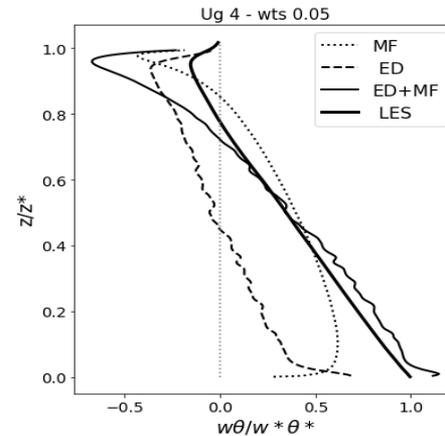
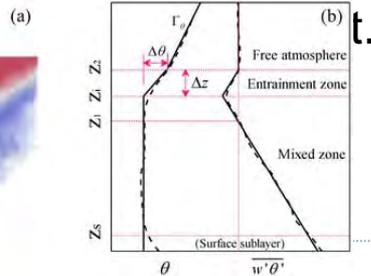
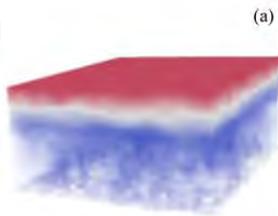


Stull
1988

Introduction:

- PBL models are substantial source of forecast inaccuracy in weather and climate models
- Critical in improving forecasts of high-impact weather phenomena such as organized severe thunderstorms
- Inaccurate prediction of standard approaches (e.g., ED, EDMF):

To:



Using machine learning to parameterize boundary layer turbulent fluxes

- Prediction of turbulent fluxes using machine learning
- Process base flux decomposition
- Gaining insight on turbulent fluxes from machine learning

Data:

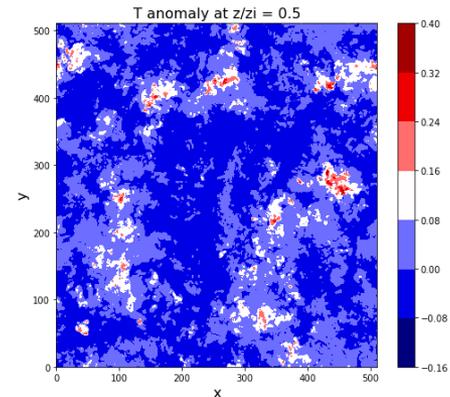
High resolution LES data (dry convective boundary layer)

Three simulation:

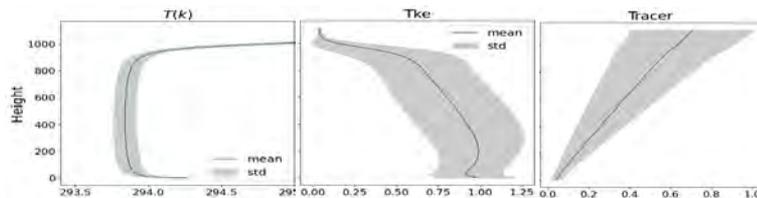
- Strongly convective (C),
- Sheared and convective (SC)
- Weakly convective and strongly sheared (S)

Horizontally: coarse graining, Computing mean variables and turbulent fluxes

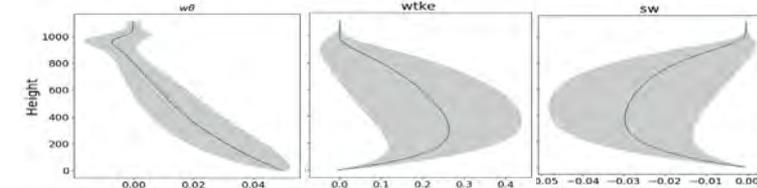
Vertically: interpolate 100 layers between the surface and top of the BL



Input:



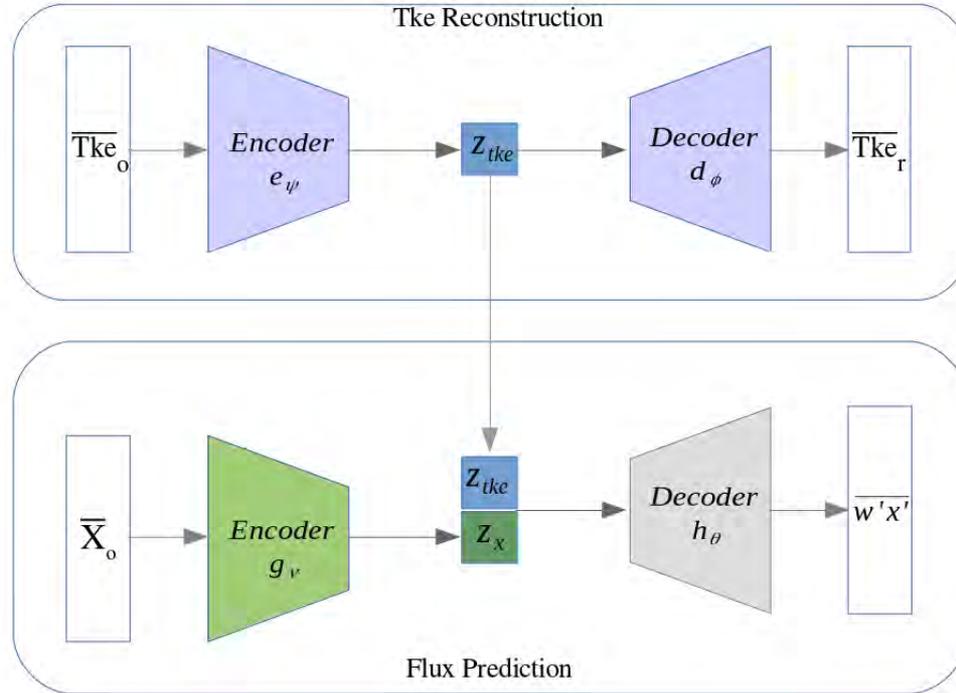
Output:



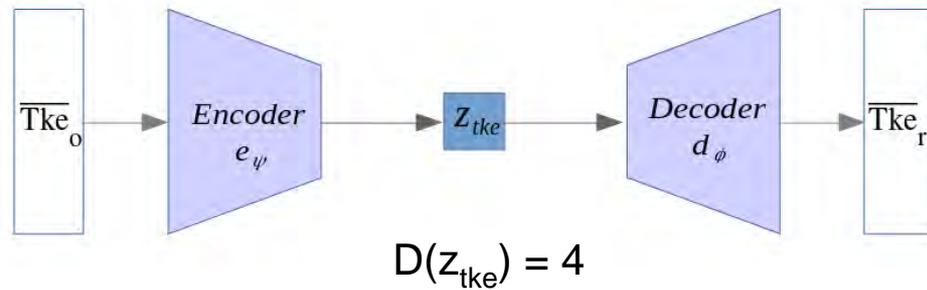
Two-part training:

- Reconstruction of $tke \rightarrow z_{tke}$
- Prediction of turbulent fluxes using z_{tke} from step one

Neural Network architecture:



Neural Network: Tke reconstruction



Assumption:

z_{tke} can represent horizontal and vertical part of tke separately

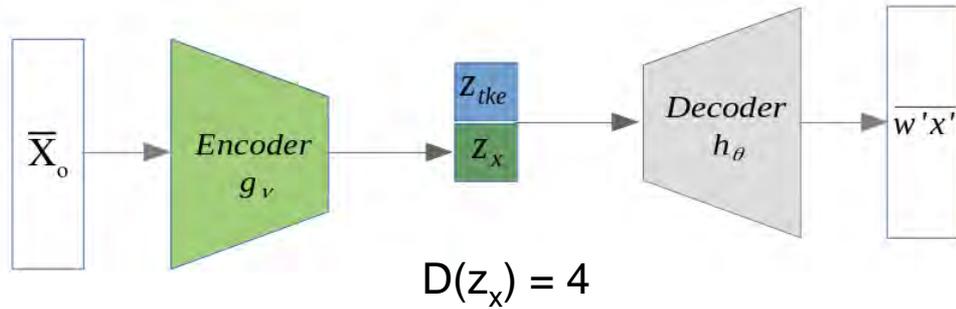
Enforced using constraints in the loss function

Loss : $MSE(Tke_t, Tke_p)$

- β_1
 $corr(decoder(z_{tke_w}), tke_w)$

- β_2 $corr(decoder(z_{tke_u}), tke_u)$

Neural Network: Flux prediction



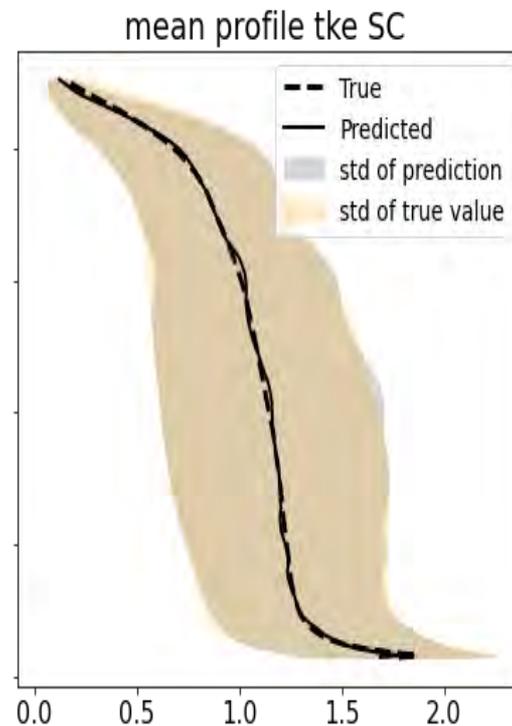
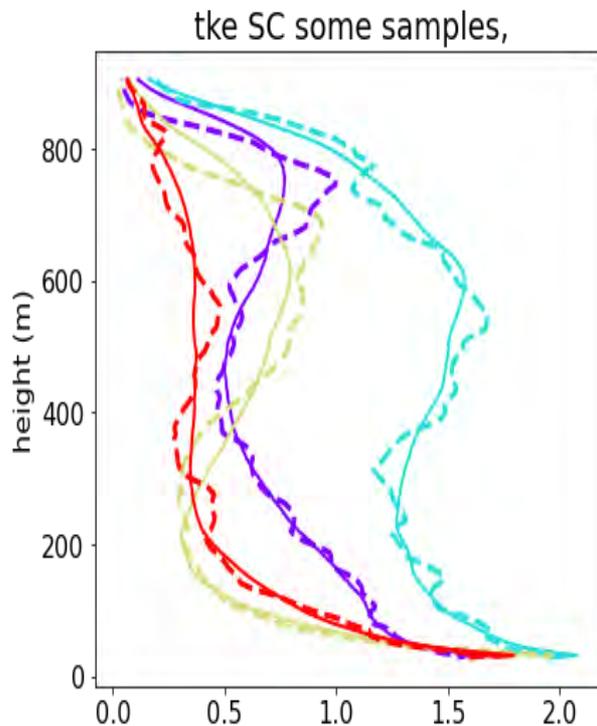
$X \in [T, \text{Tracer}, \text{TKE}]$

Assumption:
All scalars are transported
the same way by flow

$$\begin{aligned} z_T &= g_v(T) \\ z_S &= g_v(S) \\ z_E &= g_v(\text{Tke}) \end{aligned}$$

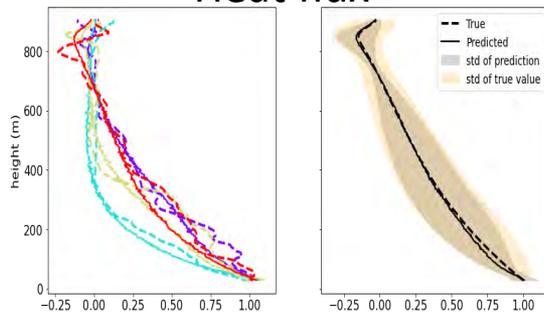
Each scalar has its own latent
space but the mapping is the
same

Overall results: Tke reconstruction

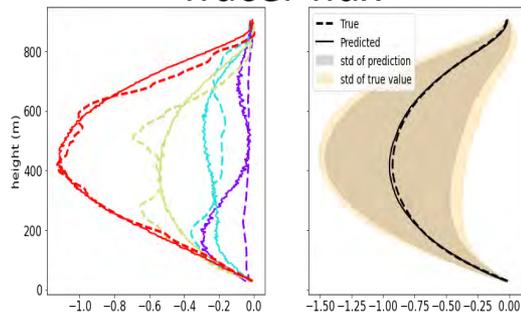


Overall results: Flux prediction

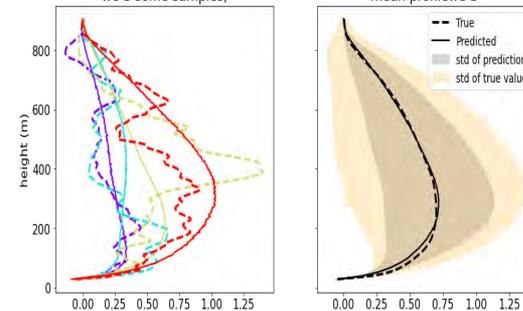
Heat flux



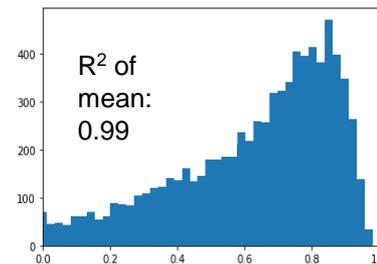
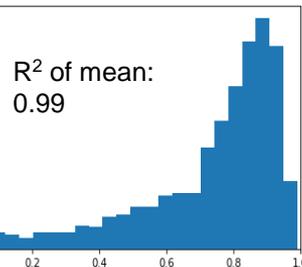
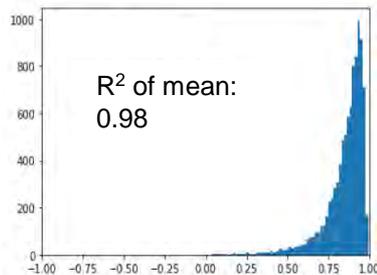
Tracer flux



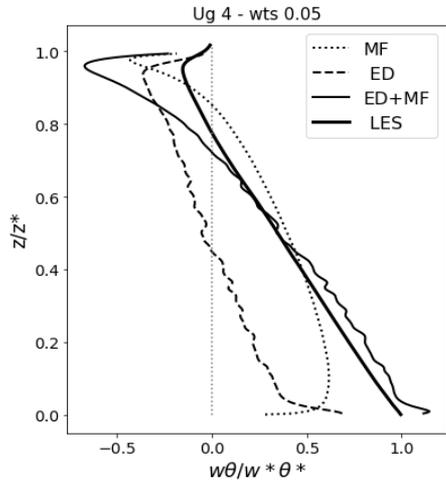
Tke flux



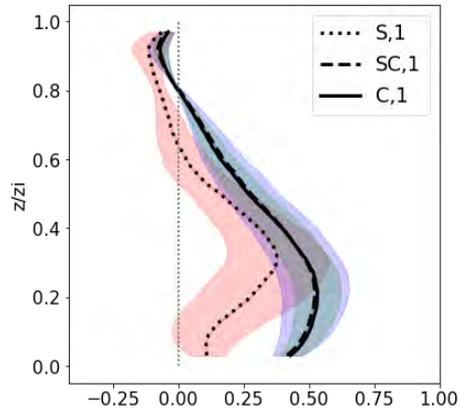
Distribution of R^2



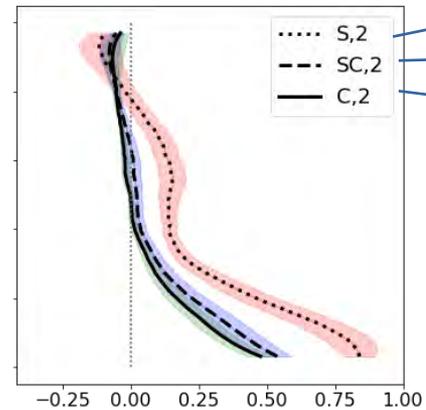
Flux decomposition: Heat flux



Convective mode



Shear mode



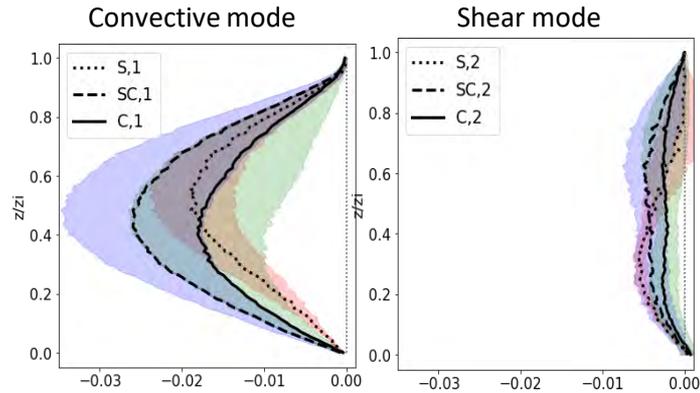
Sheared

Sheared and convective

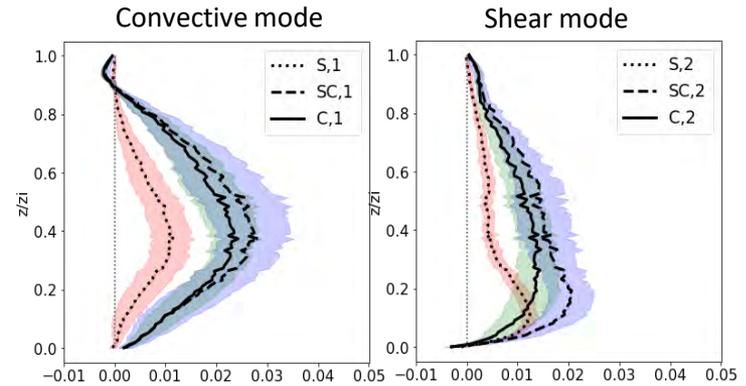
Very convective

Flux decomposition: Tracer and Tke

Tracer



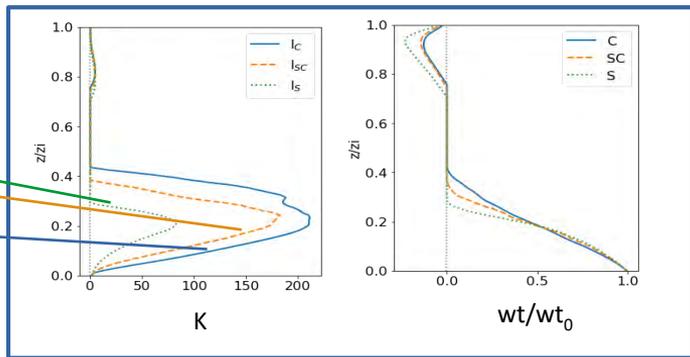
TKE



Projection on gradient:

K using total w_t'

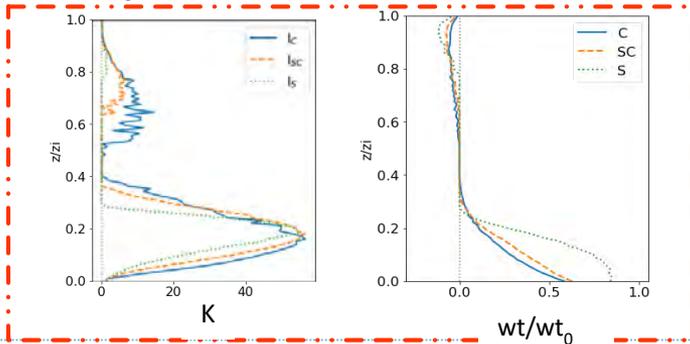
How much of the flux is explained?



Sheared
Sheared and convective
convective

Using total flux

K using shear mode



Using second mode
from decomposition

Summary:

Machine learning allows:

- Accurate prediction of turbulent fluxes across regimes (outperforms standard EDMF approach) & with low dimension
- Better understanding of physics

But

- Physics guided approach is necessary for flux separation
- Two modes explain the total flux: shear related mode and convective related mode